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ATIS Axioms as Extended from SIGGS

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This Report was Initially Submitted in 2005 as Part of the
Proffitt Grant Research “Analysis of Patterns in Time and Configuration”

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NOTE: This Report has now been updated with respect to *ATIS* and is published in 2015.

ATIS Axioms as Extended from SIGGS

Presented in this report are extensions of the 201 axioms of the SIGGS Theory as cited in *Development of Educational Theory Derived from Three Educational Theory Models*.¹ The extensions of these axioms include generalizations for *Axiomatic Theories of Intentional Systems (ATIS)* and the defining of various subsystems to account for some of these generalizations. Logico-mathematical formalizations of these axioms are also included.

Many of the axioms had previously been deleted in other reports from various treatments of SIGGS as they were stated in a way that they were specific to education systems. However, *ATIS* extended the properties that had been listed in SIGGS and also introduced the *Warner Subsystems*. This extension of the properties and introduction of the *Warner Subsystems* has increased their number from the 73 SIGGS “education properties” to 136 contained in the *ATIS* development. The new axioms will be presented in another report.

With these new developments, the education axioms were then generalized so that they are applicable to any intentional system, thus making it possible to include them in the current list. Any axiom that contains a *Warner Subsystem* is one of the previous axioms that had been restricted to education properties, but has now been defined for an y intentional system.

In addition to the substantive extensions of SIGGS, Thompson also introduced a nomenclature that facilitates the recognition and interpretation of the various properties. Most properties will fall into one of seven categories shown below in *Primary Property Categories*. While an example of each property is given in this listing, a complete list of the properties for each category is provided in the *ATIS Properties*.

¹ Maccia, Elizabeth Steiner and George S. Maccia (1966), *Development of Educational Theory Derived from Three Educational Theory Models*, The Ohio State University, Research Foundation, Columbus, Ohio.

Primary Property Categories

\mathcal{A} designates the affect relation properties; e.g., ${}_d\mathcal{A}$ designates “directed affect relation.”

\mathcal{B} designates the behavior properties; e.g., ${}_d\mathcal{B}$ designates “dispositional behavior.”

\mathcal{C} designates the connected properties; e.g., ${}_{HA}\mathcal{C}$ designates “heterarchy connected.”

\mathcal{f}_X designates the “feed-” transmission properties; e.g., \mathcal{f}_I designates “feedin.”

\mathcal{F} designates the filtration properties; e.g., ${}_{\mathcal{S}}\mathcal{F}$ designates “system-filtration.”

\mathcal{X} designates the morphism properties; e.g., \mathcal{E} designates “endomorphism.”

$\mathcal{X}_{\mathcal{P}}$ designates the “-put” properties; e.g., $\mathcal{T}_{\mathcal{P}}$ designates “to-put.”

\mathcal{S} designates the state properties; e.g., ${}_{DV}\mathcal{S}$ designates “developing states.”

\mathcal{S} designates the system properties; e.g., ${}_{SR}\mathcal{S}$ designates “(system) strain.”

\mathcal{W} designates the *Warner Partition Properties*; e.g., ${}_{\mathcal{S}}\mathcal{W}$ designates “strategic system.”

Nomenclature

To facilitate the reading of the formalization of the axioms, the following nomenclature has been developed.

X^\uparrow designates that property X is increasing.	\sim designates logical “not.”
X^\downarrow designates that property X is decreasing.	\forall designates logical universal quantifier “for all.”
X_c designates that property X is constant.	\exists designates logical existential quantifier “there exists.”
X^{\min} designates that the value of property X is minimum.	\exists^n designates logical existential quantifier “there exist n.”
X^{\max} designates that the value of property X is maximum.	$\sim\exists^{n+1}$ designates logical existential quantifier “there exist at most n.”
\approx designates an approximate value.	\exists^1 (or \exists^1) designates logical existential quantifier “there exists exactly one.”
$X^{\approx\min}$ designates that the value of property X approaches minimum value.	ι designates logical descriptor quantifier “that” or “the”; e.g., ‘ $\iota x P(x)$ ’ is read, “the x such that P(x)” or ‘ $\iota x P(x)$ ’ is read, “that x such that P(x)”
$X^{\approx\max}$ designates that the value of property X approaches maximum value.	\hat{w} designates the class quantifier; e.g., ‘ $\hat{w}P(w)$ ’ is read “the class of w determined by P(w).”
ΔX designates change in property X.	$(X y)$ designates that property X is qualified by y, and is read “X given y” or “X restricted by y.”
$X^{\uparrow\alpha:t(1)}$ designates that X increases to α at time 1.	$X_{\mathcal{A}}$ designates the referent family of affect relations of system X.
t_1 is equivalent to $t(1)$ and designates time 1.	${}_y\mathcal{A}$ designates the y affect relation set.
\wedge designates logical “and.”	
\vee designates logical “or.”	
\supset designates logical “implies.”	
\equiv designates logical “if and only if,” or equivalence of sets.	

Designation of Intentional Affect Relations

The *Intentional Affect Relations* are those relations in which at least one component is human. The interpretation of such affect relations is system-specific. That is, while the initial application of SIGGS was to an educational system, such affect relations are applicable to any human component-type system. SIGGS introduced ten different types of behavioral affect relations as generalized below. The name of the affect relation is followed in parentheses by the abbreviation that will be used in the formalization of the axioms. One additional relation, ‘control’, is introduced that will be required in the development of *ATIS*.

Control (C): Affect Relations defined by components of a Subsystem that are related to other components in a manner defined to be “control.”

Development Inquiry (D): Affect relations defined by components of the *Human Component Control Subsystem* of the *Leadership Subsystem* that are related to other components in a manner defined to be “developmental inquiring.”

Expert (E): Affect relations defined by components of the *Population Subsystem* that are related to other components in a manner defined to be “expert.”

Facilitating (F): Affect relations defined by components of the *Infrastructure Subsystem* that are related to other components in a manner defined to be “facilitating.”

Inquiry (Q): Affect relations defined by components of the *Leadership Subsystem* that are related to other components in a manner defined to be “inquiring.”

Instructional (I): Affect relations defined by components of the *Leadership Subsystem* that are related to other components in a manner defined to be “instructional.”

Legitimate (L): Affect relations defined by components of the *Organic Essential Subsystem* that are related to other components in a manner defined to be “legitimate.”

Punishment (P): Affect relations defined by components of the *Fielded Military Subsystem* that are related to other components in a manner defined to be “punishing.”

Referent (R): Specified affect relations.

Research Inquiry (J): Affect relations defined by components of the *Human Component Intelligence Subsystem* of the *Leadership Subsystem* that are related to other components in a manner defined to be “research inquiring.”

Reward (W): Affect Relations defined by components of the *Dynamic Teleological Subsystem* of the *Leadership Subsystem* that are related to other components in a manner defined to be “rewarding.”

Support (U): Affect Relations defined by components of a Subsystem that are related to other components in a manner defined to be “support.”

SIGGS Axiom List

[The numbers of the axioms refer to their listing in *Steiner and Maccia*. By clicking on the links, the definition of each property will be accessed.]

1. If [system environmental change](#) increases, then change in system [input](#) is greater than some value.
2. If [system environmental change](#) increases, then change in [fromput](#) is greater than some value.
3. If [system environmental change](#) increases, then change in [feedback](#) is greater than some value.
4. If [system environmental change](#) increases, then change in [filtration](#) is greater than some value.
5. If system [toput](#) increases, then [input](#) increases to some value and then decreases.
6. If system [toput](#) greater than some value increases, then [fromput](#) increases.
7. If system [toput](#) approaches minimum, then [fromput](#) increases.
8. If system [toput](#) increases, then [filtration](#) decreases to some value and then increases.
9. If system [toput](#) increases, then [regulation](#) less than some value increases.
10. If system [input](#) decreases, then [fromput](#) decreases.
11. If system [input](#) decreases, then [storeput](#) decreases.
12. If system [input](#) increases, then [filtration](#) decreases.
13. If system [input](#) decreases, then [filtration](#) increases.
14. If system [input](#) is greater than some value, then [regulation](#) is greater than some value.
15. If system [output](#) increases, then [fromput](#) increases.
16. If system [storeput](#) decreases, then [feedout](#) decreases.
17. If system [storeput](#) increases, then [adaptability](#) increases.
18. If system [storeput](#) increases, then [efficiency](#) decreases.
19. If system [feedin](#) increases, then [fromput](#) increases to some value and then decreases.
20. If system [feedin](#) increases, then [spillage](#) increases.

21. If system [feedthrough](#) increases, then [compatibility](#) increases.
22. If system [feedthrough](#) is less than some value, then [filtration](#) is greater than some value or [spillage](#) is greater than some value.
23. If change in system [feedback](#) is greater than some value, then [system environmental change](#) increases.
24. If system [feedback](#) is greater than some value, then [storeput](#) is less than some value.
25. If system [feedback](#) is greater than some value, then [regulation](#) is less than some value.
26. If system [filtration](#) is greater than some value, then [compatibility](#) is greater than some value.
27. If system is [filtration](#) less than some value, then [compatibility](#) is less than some value.
28. If system [filtration](#) increases, then [adaptability](#) increases.
29. If system [openness](#) increases, then [efficiency](#) decreases.
30. If [system environmental change](#) increases and [fromput](#) increases, then change in [feedout](#) is greater than some value.
31. If [system environmental change](#) increases and [fromput](#) increases, then change in [feedthrough](#) is greater than some value.
32. If [system environmental change](#) is greater than some value and [feedthrough](#) is greater than some value, then [stability](#) is greater than some value.
33. If system [toput](#) increases and [fromput](#) increases, then [feedthrough](#) increases.
34. If system [toput](#) is constant and [efficiency](#) is greater than some value, then [regulation](#) is less than some value.
35. If system [input](#) is constant and [fromput](#) is constant, then [output](#) is constant.
36. If system [input](#) increases and [storeput](#) is constant, then [feedout](#) increases.
37. If system [input](#) increases and [storeput](#) is less than some value, then change in [input](#) equals change in [storeput](#).
38. If change in system [input](#) is greater than change in [feedthrough](#), then [spillage](#) increases.
39. If system [input](#) is greater than some value and [spillage](#) is less than some value, then [storeput](#) increases.

40. If system [input](#) is less than some value and [spillage](#) is less than some value, then [storeput](#) decreases.
41. If system [input](#) is constant and [efficiency](#) at a given time is less than some value, then [efficiency](#) increases.
42. If the ratio of maximum system [selective information](#) to [input](#) decreases, then [feedout](#) decreases.
43. If system [fromput](#) increases and [output](#) is less than some value, then [feedout](#) decreases.
44. If change in system [fromput](#) is less than some value and change in [storeput](#) is less than zero and change in [fromput](#) is greater than zero and the negative of change in [storeput](#) is greater than some value, then [efficiency](#) decreases.
45. If system [output](#) increases and [feedback](#) is greater than some value, then [input](#) increases.
46. If system [storeput](#) increases and ([filtration](#) decreases or [spillage](#) decreases), then information growth increases.
47. If system [feedthrough](#) is greater than some value and [spillage](#) is less than some value and [feedback](#) is greater than some value, then [efficiency](#) is greater than some value.
48. If system ([feedin](#) increases and [feedout](#) is constant and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) increases and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) is constant and [compatibility](#) decreases), then [openness](#) increases.
49. If system ([feedin](#) decreases and [feedout](#) is constant and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) decreases and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) is constant and [compatibility](#) increases), then [openness](#) decreases.
50. Change in system [input](#) is greater than change in [fromput](#).
51. Change in system [feedin](#) is greater than change in [feedout](#).
52. System [efficiency](#) is equal to the maximum [efficiency](#) if and only if [feedin](#) is equivalent to [feedout](#).
53. If system [complete-connectivity](#) increases, then [flexibility](#) increases.
54. If [strongness](#) decreases, then [wholeness](#) increases. **Not Valid. This axiom has been shown not to be valid.**
55. If [strongness](#) increases, then [hierarchical-order](#) decreases.

56. If [strongness](#) increases, then [flexibility](#) increases.
57. If [unilateralness](#), then [hierarchical-order](#).
58. If [disconnectivity](#) is greater than some value, then [independence](#) increases.
59. If [disconnectivity](#) is greater than some value, then [segregation](#) increases.
60. If [vulnerability](#) increases, then [complete-connectivity](#) decreases.
61. If [passive-dependence](#) increases, then [centrality](#) increases.
62. If [active-dependence](#) increases, then [centrality](#) decreases.
63. If [interdependence](#) increases, then [complexity-growth](#) increases.
64. If [hierarchical-order](#) increases, then [vulnerability](#) increases and [flexibility](#) decreases.
65. If [compactness](#) increases, then [hierarchical-order](#) decreases.
66. If [centrality](#) increases, then [passive-dependence](#) increases.
67. If [centrality](#) increases, then [active-dependence](#) decreases.
68. If [centrality](#) is less than some value, then [independence](#) increases.
69. If [centrality](#) is less than some value, then [centrality](#) increases.
70. If [wholeness](#) increases and [hierarchical-order](#) is constant, then [integration](#) increases.
71. The limit of the ratio of [active-dependence](#) to [passive-dependence](#) as [unilateralness](#) increases is equal to 1.
72. If system maximum [passive-dependence](#) is with respect to [Leadership Subsystem affect relations](#); then [wholeness](#) increases, and [hierarchical-order](#) increases, and [centrality](#) increases.
73. If system [strongness](#) is with respect to [Leadership Subsystem affect relations](#); then there is [complete-connectivity](#) with respect to [referent affect relations](#).
74. If system [strongness](#) is with respect to [referent affect relations](#); then [vulnerability](#) with respect to [Leadership Subsystem affect relations](#) decreases.
75. If system [strongness](#) is with respect to [referent affect relations](#); then [vulnerability](#) with respect to [referent affect relations](#) decreases.

76. If system [strongness](#) with respect to [reward affect relations](#) is greater than some value; then [complete-connectivity](#) with respect to [referent affect relations](#) increases, or [strongness](#) with respect to [referent affect relations](#) increases.
77. If system [strongness](#) with respect to [reward affect relations](#) is greater than some value; then [wholeness](#) is with respect to [Leadership Subsystem affect relations](#), and [hierarchical-order](#) is with respect to [Leadership Subsystem affect relations](#).
78. If system [strongness](#) with respect to [Leadership Subsystem affect relations](#) increases, and [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) decreases; then [strongness](#) with respect to [referent affect relations](#) increases.
79. If system [strongness](#) with respect to [referent affect relations](#) is greater than some value, and [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value, then [wholeness](#) is with respect to [Leadership Subsystem affect relations](#).
80. If system [strongness](#) with respect to [referent affect relations](#) is less than some value, and [centrality](#) is with respect to [Leadership Subsystem affect relations](#); then [wholeness](#) is with respect to [Leadership Subsystem affect relations](#).
81. If system [strongness](#) with respect to [referent affect relations](#) is less than some value, and [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value, and [centrality](#) is with respect to [Leadership Subsystem affect relations](#); then [compactness](#) with respect to [Leadership Subsystem affect relations](#) increases.
82. If system [wholeness](#) is with respect to [referent affect relations](#); then [complete-connectivity](#) with respect to [referent affect relations](#) increases, or [strongness](#) with respect to [referent affect relations](#) increases.
83. If system [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value, and [flexibility](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value; then [disconnectivity](#) is with respect to [referent affect relations](#).
84. There is [disconnectivity](#) greater than some value with respect to [instructional affect relations](#).
85. There is [disconnectivity](#) greater than some value with respect to [inquiry affect relations](#).
86. If system [state-steadiness](#) is greater than some value, then [strain](#) increases.
87. If system [stress](#) is less than some value, then [state-steadiness](#) is constant.
88. If system [stress](#) greater than some value increases, then [strain](#) increases.
- 89a. System [state-steadiness](#) increases if and only if [state-determinacy](#) increases.

- 89b. System [state-steadiness](#) decreases if and only if [state-determinacy](#) decreases.
90. If system [toput](#) increases, then [centrality](#) decreases.
91. If system [feedin](#) decreases, then [unilateralness](#) decreases.
92. If system [feedin](#) less than some value decreases, then [hierarchical-order](#) decreases.
93. If system [feedin](#) decreases, then [complexity-degeneration](#) increases.
94. If system [feedout](#) is less than some value, then [complexity-degeneration](#) increases.
95. If system [feedthrough](#) increases, then [weakness](#) is less than some value.
96. If system [toput](#) is close to minimum and [fromput](#) increases, then [disconnectivity](#) increases.
97. If system [feedin](#) increases and [compatibility](#) is close to minimum, then [disconnectivity](#) increases.
98. If system [storeput](#) increases, and [filtration](#) decreases or [spillage](#) decreases; then [integration](#) increases.
99. If system [input](#) increases, and [storeput](#) is greater than some value; then [segregation](#) is with respect to [referent affect relations](#).
100. If system [complete-connectivity](#) increases, then [feedin](#) increases.
101. If system [weakness](#) is greater than some value, then [feedthrough](#) is less than some value.
102. If system [interdependence](#) increases, then [feedin](#) increases.
103. If system [wholeness](#) increases, then [regulation](#) is less than some value.
104. If system [compactness](#) greater than some value increases, then [efficiency](#) increases.
105. If system [centrality](#) increases, then [toput](#) decreases.
106. If system [complete-connectivity](#) increases or [strongness](#) increases, then [toput](#) increases.
107. If system [complete-connectivity](#) increases or [strongness](#) increases, then [input](#) increases.
108. If system [complete-connectivity](#) increases or [strongness](#) increases, then [filtration](#) decreases.
109. If system [complete-connectivity](#) increases or [strongness](#) increases, then [spillage](#) increases.
110. If system [complete-connectivity](#) increases or [strongness](#) increases, then 0 is less than change in [fromput](#), and change in [fromput](#) is less than change in [input](#).

111. If system [complete-connectivity](#) increases or [strongness](#) increases, then change in [storeput](#) is greater than change in [fromput](#).
112. If system [strongness](#) increases and [hierarchical-order](#) is constant, then [regulation](#) decreases.
113. If system [wholeness](#) increases and [hierarchical-order](#) is constant, then [efficiency](#) decreases.
114. If system [weakness](#) and [hierarchical-order](#), then [flexibility](#) decreases.
115. If system [unilateralness](#), or [weakness](#) increases, or [disconnectivity](#) increases; then [input](#) decreases and [fromput](#) decreases.
116. If system [passive-dependence](#) with respect to [reward affect relations](#) increases, then [feedout](#) decreases.
117. If system [passive-dependence](#) with respect to [reward affect relations](#) increases, then [adaptability](#) greater than some value increases.
118. If system [independence](#) with respect to [Leadership Subsystem affect relations](#) increases, then [fromput](#) increases.
119. If system [independence](#) with respect to [Leadership Subsystem affect relations](#) increases, then [output](#) is less than some value.
120. If system [independence](#) with respect to [Leadership Subsystem affect relations](#) increases, then [feedout](#) decreases.
121. If system [wholeness](#) with respect to [referent affect relations](#) is greater than some value, then the absolute value of the difference of [fromput](#) from maximum [fromput](#) is greater than some value.
122. If system [wholeness](#) with respect to [referent affect relations](#) is greater than some value, then [openness](#) approaches minimum.
123. If system [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) increases, then [filtration](#) increases.
124. If system [complexity](#) with respect to [facilitating affect relations](#) is greater than some value, then [regulation](#) is greater than some value.
125. If system [complexity](#) with respect to [facilitating affect relations](#) is greater than some value, then [feedthrough](#) with respect to [facilitating affect relations](#) is less than some value.
126. If system [passive-dependence](#) with respect to [inquiry affect relations](#) and [legitimate affect relations](#) increases, then [feedout](#) increases and [spillage](#) increases and maximum [selective information](#) is greater than some value.

127. If system passive-dependence with respect to inquiry affect relations and expert affect relations increases, then feedout decreases and spillage greater than some value increases and maximum selective information is less than some value.
128. If system active-dependence with respect to facilitating affect relations and legitimate affect relations is greater than some value, then regulation is less than some value.
129. If system wholeness with respect to inquiry affect relations and referent affect relations increases, then the ratio of maximum selective information to input increases.
130. If system disconnectivity with respect to instructional affect relations and referent affect relations is greater than some value, and complete-connectivity with respect to instructional affect relations and referent affect relations increases, and wholeness with respect to instructional affect relations and referent affect relations increases; then input increases, fromput increases, feedout decreases, and regulation increases.
131. If system disconnectivity is with respect to instructional affect relations and expert affect relations is greater than some value, complete-connectivity is with respect to instructional affect relations and expert affect relations increases, and wholeness with respect to instructional affect relations and expert affect relations increases; then input increases, storeput increases, feedout increases, and filtration increases.
132. If system disconnectivity with respect to instructional affect relations and referent affect relations is greater than some value, passive-dependence with respect to instructional affect relations and referent affect relations increases, and wholeness with respect to instructional affect relations, and referent affect relations increases; then input decreases, fromput decreases, feedout decreases, and regulation decreases.
133. If system disconnectivity with respect to instructional affect relations and reward affect relations is greater than some value, passive-dependence with respect to instructional affect relations and reward affect relations increases, and wholeness with respect to instructional affect relations and reward affect relations increases; then if system environmental change is greater than some value, then adaptability is greater than some value, input is less than some value, storeput is less than some value, and filtration is greater than some value.
134. If system disconnectivity with respect to instructional affect relations and legitimate affect relations is greater than some value, passive-dependence with respect to instructional affect relations and legitimate affect relations increases, and wholeness with respect to instructional affect relations and legitimate affect relations increases; then feedout increases, spillage is greater than some value, and regulation is greater than some value.

135. If system [disconnectivity](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) is greater than some value, [passive-dependence](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) increases, [wholeness](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) increases, and [hierarchical-order](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) increases; then if [system environmental change](#) is greater than some value, then [adaptability](#) is less than some value, [fromput](#) decreases, [feedout](#) decreases, [regulation](#) decreases, [stability](#) increases, and [equifinality](#) increases.
136. If system maximum [active dependence](#) with respect to [development inquiry affect relations](#) and [legitimate affect relations](#); then [fromput](#) is less than some value, [filtration](#) increases, [spillage](#) increases, [regulation](#) is less than some value, [active-dependence](#) with respect to [inquiry affect relations](#) decreases, and [active-dependence](#) with respect to [instructional affect relations](#) increases.
137. If system [feedout](#) is greater than some value and [compatibility](#) is less than some value, then [segregation](#) is less than some value.
138. If system [toput](#) increases and [compactness](#) greater than some value increases, then [regulation](#) increases.
139. If system [toput](#) increases and [compactness](#) greater than some value decreases, then [efficiency](#) decreases.
140. If system [fromput](#) is constant or decreases, [complete-connectivity](#) increases, and [strongness](#) increases; then [feedthrough](#) decreases.
141. If system [toput](#) increases, and [independence](#) with respect to [Leadership Subsystem affect relations](#) increases; then [feedout](#) increases.
142. If system [feedback](#) is greater than some value, [passive-dependence](#) is with respect to [punishment affect relations](#), and [active-dependence](#) is greater than some value; then [efficiency](#) is greater than some value.
143. If system [feedin](#) is constant, then [homeostasis](#) is less than some value.
144. If system [filtration](#) decreases, then [isomorphism](#) increases.
145. If system [filtration](#) is greater than some value, then [stability](#) is greater than some value.
146. If system [adaptability](#) is greater than some value, then [stability](#) decreases.
147. If system [toput](#) increases and [feedout](#) approaches minimum, then [stress](#) increases.
148. If [system environmental change](#) is greater than some value, [feedthrough](#) is constant or less than some value, and [feedback](#) is greater than some value, then [stability](#) is less than some value.

149. If system [filtration](#) with respect to [instructional affect relations](#) increases, then [isomorphism](#) with respect to [instructional affect relations](#) increases.
150. If system [automorphism](#) increases; then [input](#) increases, [storeput](#) increases, [fromput](#) decreases, [feedout](#) decreases, [filtration](#) decreases, [spillage](#) decreases, and [efficiency](#) decreases.
151. If system [isomorphism](#) increases; then [fromput](#) decreases, and [feedout](#) decreases.
152. If system [state-steadiness](#) is greater than some value, then [adaptability](#) is less than some value.
153. If system [state-determinacy](#) increases, then [regulation](#) decreases.
154. If system [state-determinacy](#) increases, then [selective information](#) decreases.
155. If system [equifinality](#) is greater than some value, then [regulation](#) is less than some value.
156. If system [equifinality](#) is at a given time, and [homeostasis](#) is greater than some value; then [regulation](#) is less than some value.
157. If system [isomorphism](#) with respect to [instructional affect relations](#) increases; then [fromput](#) decreases, and [feedout](#) decreases.
158. If system [toput](#) increases, and [size](#) is constant; then [feedback](#) increases.
159. If [system environmental change](#) is greater than some value, [compatibility](#) is greater than some value, and [stability](#) is greater than some value; then [storeput](#) is greater than some value, or [filtration](#) is greater than some value, or [spillage](#) is greater than some value.
160. If system [toput](#) increases, [fromput](#) increases, and [size](#) is constant; then [feedout](#) increases.
161. If system [output](#) is constant, [automorphism](#) decreases, and [homomorphism](#) is greater than some value; then [feedout](#) decreases.
162. If system [toput](#) is less than some value, [feedin](#) increases, and [stability](#) is less than some value; then [stability](#) increases.
163. If system [toput](#) is greater than some value, [feedin](#) decreases, and [stability](#) is less than some value; then [stability](#) increases.
164. If system [independence](#) increases, then [stability](#) is less than some value.
165. If system [flexibility](#) decreases, then [state-determinacy](#) increases.

166. If system [centrality](#) increases, then [state-steadiness](#) increases.
167. If system [complexity](#) greater than some value increases, then [size](#) increases.
168. If system [independence](#) increases, and [wholeness](#) increases; then [state-steadiness](#) is greater than some value.
169. If system [wholeness](#) is greater than some value, and [centrality](#) is greater than some value; then [state-determinacy](#) is greater than some value.
170. If system [centrality](#) with respect to [instructional affect relations](#) increases, then [isomorphism](#) with respect to [instructional affect relations](#) increases.
171. If system [disconnectivity](#) with respect to [facilitating affect relations](#) is greater than some value, and [wholeness](#) with respect to [facilitating affect relations](#) is less than some value; then [state-determinacy](#) with respect to [facilitating affect relations](#) is less than some value.
172. If system [automorphism](#) increases, then [wholeness](#) decreases.
173. If system [automorphism](#) increases, then [centrality](#) decreases.
174. Change in system [size](#) is greater than change in [hierarchical-order](#).
175. If system [complexity-degeneration](#) increases; then [size-degeneration](#) increases, or [disconnectivity](#) increases.
176. If system [state-steadiness](#) is less than some value; then [segregation](#) is less than some value, [integration](#) is less than some value, and [homeostasis](#) is less than some value.
177. If system [weakness](#) is maximum and [size](#) increases; then [passive-dependence](#) increases, or [active-dependence](#) increases.
178. If system [hierarchical-order](#) at a given time is greater than some value, and [size](#) at the given time is greater than some value; then [independence](#) at a later time increases.
179. If system [size](#) increases, and [complexity-growth](#) is constant; then [vulnerability](#) increases.
180. If system [size](#) increases, and [complexity-growth](#) is constant; then [flexibility](#) decreases.
181. If system [size](#) increases, and [complexity-growth](#) is constant; then [centrality](#) decreases.
182. If system [size](#) is constant, and [complexity-degeneration](#) increases; then [disconnectivity](#) increases.
183. If system [size](#) decreases, and [complexity-degeneration](#) increases; then [disconnectivity](#) decreases. **Not Valid. This axiom has been shown not to be valid.**

184. If system [complexity](#) increases, and [size-growth](#) is constant; then [compactness](#) decreases.
185. If system [complexity](#) increases, and [size-growth](#) is constant; then [centrality](#) increases.
186. If system [centrality](#) increases, and [stress](#) is greater than some value; then [stability](#) decreases.
187. If system [stress](#) is equal to 0, and [centrality](#) increases; then [stability](#) increases.
188. If system [size](#) increases and [complexity-growth](#) is constant; then [state-determinacy](#) increases.
189. If system maximum [active-dependence](#) is with respect to [research inquiry affect relations](#) and [legitimate affect relations](#); then [input](#) increases, [fromput](#) increases, [storeput](#) increases, [filtration](#) increases, and [automorphism](#) with respect to [instructional affect relations](#) increases.
190. If system [homomorphism](#) at time 2 is greater than [homomorphism](#) at time 1; then [toput](#) approaches maximum, [size-degeneration](#) approaches maximum, and [complexity-degeneration](#) approaches maximum.
191. If system [efficiency](#) is greater than some value, and [compactness](#) is greater than some value; then [state-determinacy](#) is greater than some value.
192. If system [size-growth](#) decreases, and [selective information-growth](#) is constant; then [complexity-growth](#) increases.
193. If system [size-degeneration](#) decreases, and [selective information-growth](#) is constant; then [complexity-degeneration](#) increases.
194. If system [size](#) increases, and [complexity-growth](#) is constant; then [toput](#) increases.
195. If system [size](#) increases, and [complexity-growth](#) is constant; then [feedin](#) decreases.
196. If system [size](#) increases, and [complexity-growth](#) is constant; then [feedout](#) increases, and change in [feedout](#) decreases.
197. If system [size](#) increases, and [complexity-growth](#) is constant; then [feedthrough](#) increases.
198. If system [size](#) increases, and [complexity-growth](#) is constant; then [feedback](#) decreases.
199. If system [size](#) increases, and [complexity-growth](#) is constant; then [regulation](#) increases to some value and then decreases.
200. If system [size](#) increases, and [complexity-growth](#) is constant; then [compatibility](#) decreases.
201. If system [size](#) increases, and [complexity-growth](#) is constant; then [efficiency](#) increases to some value and then decreases.

Logico-Mathematical Formalization of ATIS Axioms

$$1. \Delta \mathcal{S}^\uparrow \supset \Delta I_{\mathcal{P}} > \alpha$$

If [system environmental change](#) increases, then change in system [input](#) is greater than some value.

$$2. \Delta \mathcal{S}^\uparrow \supset \Delta F_{\mathcal{P}} > \alpha$$

If [system environmental change](#) increases, then change in [fromput](#) is greater than some value.

$$3. \Delta \mathcal{S}^\uparrow \supset \Delta f_{\mathcal{B}} > \alpha$$

If [system environmental change](#) increases, then change in [feedback](#) is greater than some value.

$$4. \Delta \mathcal{S}^\uparrow \supset \Delta {}_{\mathcal{S}}\mathcal{F} > \alpha$$

If [system environmental change](#) increases, then change in [filtration](#) is greater than some value.

$$5. T_{\mathcal{P}}^\uparrow \supset \sigma (I_{\mathcal{P}}^{\uparrow\alpha:t(1)}, I_{\mathcal{P}}^{\downarrow\beta:t(2)}) \mid \alpha > \beta$$

If system [toput](#) increases, then [input](#) increases to some value and then decreases.

$$6. (T_{\mathcal{P}} > \alpha)^\uparrow \supset F_{\mathcal{P}}^\uparrow$$

If system [toput](#) greater than some value increases, then [fromput](#) increases.

$$7. T_{\mathcal{P}} \approx 0 \supset F_{\mathcal{P}}^\uparrow$$

If system [toput](#) approaches minimum, then [fromput](#) increases.

$$8. T_{\mathcal{P}}^\uparrow \supset \sigma ({}_{\mathcal{S}}\mathcal{F}^{\downarrow\alpha:t(1)}, {}_{\mathcal{S}}\mathcal{F}^{\uparrow\beta:t(2)}) \mid \alpha < \beta$$

If system [toput](#) increases, then [filtration](#) decreases to some value and then increases.

$$9. T_{\mathcal{P}}^\uparrow \supset ({}_{\mathcal{S}}\mathcal{F} < \alpha)^\uparrow$$

If system [toput](#) increases, then [regulation](#) less than some value increases.

$$10. I_{\mathcal{P}}^\downarrow \supset F_{\mathcal{P}}^\downarrow$$

If system [input](#) decreases, then [fromput](#) decreases.

$$11. I_{\mathcal{P}}^\downarrow \supset S_{\mathcal{P}}^\downarrow$$

If system [input](#) decreases, then [storeput](#) decreases.

$$12. I_{\mathcal{P}}^\uparrow \supset {}_{\mathcal{S}}\mathcal{F}^\downarrow$$

If system [input](#) increases, then [filtration](#) decreases.

$$13. I_{\mathcal{P}}^\downarrow \supset {}_{\mathcal{S}}\mathcal{F}^\uparrow$$

If system [input](#) decreases, then [filtration](#) increases.

$$14. I_{\mathcal{P}} > \alpha \supset {}_{\mathcal{S}}\mathcal{F} > \beta$$

If system [input](#) is greater than some value, then [regulation](#) is greater than some value.

$$15. O_{\mathcal{P}}^{\uparrow} \supset F_{\mathcal{P}}^{\uparrow}$$

If system [output](#) increases, then [fromput](#) increases.

$$16. S_{\mathcal{P}}^{\downarrow} \supset f_{\mathcal{O}}^{\downarrow}$$

If system [storeput](#) decreases, then [feedout](#) decreases.

$$17. S_{\mathcal{P}}^{\uparrow} \supset {}_A S^{\uparrow}$$

If system [storeput](#) increases, then [adaptability](#) increases.

$$18. S_{\mathcal{P}}^{\uparrow} \supset {}_{EF} \mathcal{E}^{\downarrow}$$

If system [storeput](#) increases, then [efficiency](#) decreases.

$$19. f_{\mathcal{I}}^{\uparrow} \supset \sigma (F_{\mathcal{P}}^{\uparrow \alpha:t(1)}, F_{\mathcal{P}}^{\downarrow \beta:t(2)}) \mid \alpha > \beta$$

If system [feedin](#) increases, then [fromput](#) increases to some value and then decreases.

$$20. f_{\mathcal{I}}^{\uparrow} \supset {}_{\mathcal{S}} \mathcal{F}^{\uparrow}$$

If system [feedin](#) increases, then [spillage](#) increases.

$$21. f_{\mathcal{I}}^{\uparrow} \supset C^{\uparrow}$$

If system [feedthrough](#) increases, then [compatibility](#) increases.

$$22. f_{\mathcal{I}} < \alpha \supset {}_{\mathcal{S}} \mathcal{F} > \beta \vee {}_{\mathcal{S}} \mathcal{F} > \gamma$$

If system [feedthrough](#) is less than some value, then [filtration](#) is greater than some value or [spillage](#) is greater than some value.

$$23. f_{\mathcal{B}} > \alpha \supset \Delta S^{\uparrow}$$

If change in system [feedback](#) is greater than some value, then [system environmental change](#) increases.

$$24. f_{\mathcal{B}} > \alpha \supset S_{\mathcal{P}} < \beta$$

If system [feedback](#) is greater than some value, then [storeput](#) is less than some value.

$$25. f_{\mathcal{B}} > \alpha \supset {}_{\mathcal{S}} \mathcal{F} < \beta$$

If system [feedback](#) is greater than some value, then [regulation](#) is less than some value.

$$26. {}_{\mathcal{S}} \mathcal{F} > \alpha \supset C > \beta$$

If system [filtration](#) is greater than some value, then [compatibility](#) is greater than some value.

$$27. {}_{\mathcal{S}} \mathcal{F} < \alpha \supset C < \beta$$

If system is [filtration](#) less than some value, then [compatibility](#) is less than some value.

$$28. {}_{\mathcal{S}} \mathcal{F}^{\uparrow} \supset {}_A S^{\uparrow}$$

If system [filtration](#) increases, then [adaptability](#) increases.

$$29. \circ\mathcal{S}^{\uparrow} \supset_{\text{EF}} \mathcal{S}^{\downarrow}$$

If system [openness](#) increases, then [efficiency](#) decreases.

$$30. \Delta\mathcal{S}'^{\uparrow} \wedge \text{FP}^{\uparrow} \supset \Delta f_{\text{O}} > \alpha$$

If [system environmental change](#) increases and [fromput](#) increases, then change in [feedout](#) is greater than some value.

$$31. \Delta\mathcal{S}'^{\uparrow} \wedge \text{FP}^{\uparrow} \supset \Delta f_{\text{T}} > \alpha$$

If [system environmental change](#) increases and [fromput](#) increases, then change in [feedthrough](#) is greater than some value.

$$32. \Delta\mathcal{S}' > \alpha \wedge f_{\text{T}} > \beta \supset_{\text{SB}} \mathcal{S} > \gamma$$

If [system environmental change](#) is greater than some value and [feedthrough](#) is greater than some value, then [stability](#) is greater than some value.

$$33. \text{TP}^{\uparrow} \wedge \text{FP}^{\uparrow} \supset f_{\text{T}}^{\uparrow}$$

If system [toput](#) increases and [fromput](#) increases, then [feedthrough](#) increases.

$$34. \text{TP}^{\text{c}} \wedge_{\text{EF}} \mathcal{S} > \beta \supset_{\text{S}} \mathcal{F} < \gamma$$

If system [toput](#) is constant and [efficiency](#) is greater than some value, then [regulation](#) is less than some value.

$$35. \text{IP}^{\text{c}} \wedge \text{FP}^{\text{c}} \supset \text{OP}^{\text{c}}$$

If system [input](#) is constant and [fromput](#) is constant, then [output](#) is constant.

$$36. \text{IP}^{\uparrow} \wedge \text{SP}^{\text{c}} \supset f_{\text{O}}^{\uparrow}$$

If system [input](#) increases and [storeput](#) is constant, then [feedout](#) increases.

$$37. \text{IP}^{\uparrow} \wedge \text{SP} < \alpha \supset \Delta \text{IP} = \Delta \text{SP}$$

If system [input](#) increases and [storeput](#) is less than some value, then change in [input](#) equals change in [storeput](#).

$$38. \Delta \text{IP} > \Delta f_{\text{T}} \supset_{\text{S}} \mathcal{F}^{\uparrow}$$

If change in system [input](#) is greater than change in [feedthrough](#), then [spillage](#) increases.

$$39. \text{IP} > \alpha \wedge_{\text{S}} \mathcal{F} < \beta \supset \text{SP}^{\uparrow}$$

If system [input](#) is greater than some value and [spillage](#) is less than some value, then [storeput](#) increases.

$$40. \text{IP} < \alpha \wedge_{\text{S}} \mathcal{F} < \beta \supset \text{SP}^{\downarrow}$$

If system [input](#) is less than some value and [spillage](#) is less than some value, then [storeput](#) decreases.

$$41. \text{IP}^{\text{c}} \wedge_{\text{EF}} \mathcal{S}_t < \beta \supset_{\text{EF}} \mathcal{S}^{\uparrow}$$

If system [input](#) is constant and [efficiency](#) at a given time is less than some value, then [efficiency](#) increases.

$$42. (H^{\max}/I_P)^\downarrow \supset f_o^\downarrow$$

If the ratio of maximum system [selective information](#) to [input](#) decreases, then [feedout](#) decreases.

$$43. F_P^\uparrow \wedge O_P < \alpha \supset f_o^\downarrow$$

If system [fromput](#) increases and [output](#) is less than some value, then [feedout](#) decreases.

$$44. (\Delta F_P < \alpha) \wedge (\Delta S_P < 0 < \Delta F_P) \wedge (\Delta S_P < \beta) \supset_{EF} \mathcal{E}^\downarrow$$

If change in system [fromput](#) is less than some value and change in [storeput](#) is less than zero and change in [fromput](#) is greater than zero and the negative of change in [storeput](#) is greater than some value, then [efficiency](#) decreases.

$$45. O_P^\uparrow \wedge f_B > \alpha \supset I_P^\uparrow$$

If system [output](#) increases and [feedback](#) is greater than some value, then [input](#) increases.

$$46. S_P^\uparrow \wedge (\mathcal{F}^\downarrow \vee \mathcal{S}^\downarrow) \supset H^{\uparrow}$$

If system [storeput](#) increases and ([filtration](#) decreases or [spillage](#) decreases), then information growth increases.

$$47. (f_B > \alpha) \wedge (\mathcal{F} < \beta) \wedge (f_B > \gamma) \supset_{EF} \mathcal{E} > \zeta$$

If system [feedthrough](#) is greater than some value and [spillage](#) is less than some value and [feedback](#) is greater than some value, then [efficiency](#) is greater than some value.

$$48. (f_i^\uparrow \wedge f_o^c \wedge C^c) \vee (f_i^c \wedge f_o^\uparrow \wedge C^c) \vee (f_i^c \wedge f_o^c \wedge C^\downarrow) \supset_{o\mathcal{S}} \mathcal{S}^\uparrow$$

If system ([feedin](#) increases and [feedout](#) is constant and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) increases and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) is constant and [compatibility](#) decreases), then [openness](#) increases.

$$49. (f_i^\downarrow \wedge f_o^c \wedge C^c) \vee (f_i^c \wedge f_o^\downarrow \wedge C^c) \vee (f_i^c \wedge f_o^c \wedge C^\uparrow) \supset_{o\mathcal{S}} \mathcal{S}^\downarrow$$

If system ([feedin](#) decreases and [feedout](#) is constant and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) decreases and [compatibility](#) is constant) or ([feedin](#) is constant and [feedout](#) is constant and [compatibility](#) increases), then [openness](#) decreases.

$$50. \Delta I_P > \Delta F_P$$

Change in system [input](#) is greater than change in [fromput](#).

$$51. \Delta f_i > \Delta f_o$$

Change in system [feedin](#) is greater than change in [feedout](#).

$$52. {}_{EF} \mathcal{E}^{\max} \equiv f_i \equiv f_o$$

System [efficiency](#) is equal to the maximum [efficiency](#) if and only if [feedin](#) is equivalent to [feedout](#).

$$53. {}_{CC} e^\uparrow \supset {}_F e^\uparrow$$

If system [complete-connectivity](#) increases, then [flexibility](#) increases.

54. $S^{\downarrow}e \supset W^{\uparrow}$ **Not Valid.**

If [strongness](#) decreases, then [wholeness](#) increases.

55. $S^{\uparrow}e \supset HO^{\downarrow}$

If [strongness](#) increases, then [hierarchical-order](#) decreases.

56. $S^{\uparrow}e \supset F^{\uparrow}$

If [strongness](#) increases, then [flexibility](#) increases.

57. $U^e \supset HO^e$

If [unilateralness](#), then [hierarchical-order](#).

58. $D^e > n \supset I^{\uparrow}$

If [disconnectivity](#) is greater than some value, then [independence](#) increases.

59. $D^e > n \supset SG^{\uparrow}$

If [disconnectivity](#) is greater than some value, then [segregation](#) increases.

60. $V^{\uparrow}e \supset CC^{\downarrow}$

If [vulnerability](#) increases, then [complete-connectivity](#) decreases.

61. $PD^{\uparrow}e \supset C^{\uparrow}$

If [passive-dependence](#) increases, then [centrality](#) increases.

62. $AD^{\uparrow}e \supset C^{\downarrow}$

If [active-dependence](#) increases, then [centrality](#) decreases.

63. $I^{\uparrow}e \supset X^{+\uparrow}$

If [interdependence](#) increases, then [complexity-growth](#) increases.

64. $HO^{\uparrow}e \supset V^{\uparrow}e \wedge F^{\downarrow}$

If [hierarchical-order](#) increases, then [vulnerability](#) increases and [flexibility](#) decreases.

65. $CP^{\uparrow}e \supset HO^{\downarrow}$

If [compactness](#) increases, then [hierarchical-order](#) decreases.

66. $C^{\uparrow}e \supset PD^{\uparrow}$

If [centrality](#) increases, then [passive-dependence](#) increases.

67. $C^{\uparrow}e \supset AD^{\downarrow}$

If [centrality](#) increases, then [active-dependence](#) decreases.

$$68. \quad {}_c e < n \supset {}_I e^\uparrow$$

If [centrality](#) is less than some value, then [independence](#) increases.

$$69. \quad {}_c e < n \supset {}_c e^\uparrow$$

If [centrality](#) is less than some value, then [centrality](#) increases.

$$70. \quad \mathcal{W}^\uparrow \wedge {}_{HO} e = c \supset {}_{IG} e^\uparrow$$

If [wholeness](#) increases and [hierarchical-order](#) is constant, then [integration](#) increases.

$$71. \quad \lim_{U \uparrow} e_{AD} / e_{PD} = 1$$

The limit of the ratio of [active-dependence](#) to [passive-dependence](#) as [unilateralness](#) increases is equal to 1.

$$72. \quad [{}_{PD} e^{\max} | {}_L \mathcal{W}_A] \supset {}_W e^\uparrow \wedge {}_{HO} e^\uparrow \wedge {}_c e^\uparrow$$

If system maximum [passive-dependence](#) is with respect to [Leadership Subsystem affect relations](#); then [wholeness](#) increases, and [hierarchical-order](#) increases, and [centrality](#) increases.

$$73. \quad [{}_S e | {}_L \mathcal{W}_A] \supset {}_{CC} e_A$$

If system [strongness](#) is with respect to [Leadership Subsystem affect relations](#); then there is [complete-connectivity](#) with respect to [referent affect relations](#).

$$74. \quad {}_S e_A \supset [{}_V e | {}_L \mathcal{W}_A]^\downarrow$$

If system [strongness](#) is with respect to [referent affect relations](#); then [vulnerability](#) with respect to [Leadership Subsystem affect relations](#) decreases.

$$75. \quad {}_S e_A \supset [{}_V e_A]^\downarrow$$

If system [strongness](#) is with respect to [referent affect relations](#); then [vulnerability](#) with respect to [referent affect relations](#) decreases.

$$76. \quad [{}_S e | {}_W \mathcal{A}] > \alpha \supset [{}_{CC} e_A]^\uparrow \vee [{}_S e_A]^\uparrow$$

If system [strongness](#) with respect to [reward affect relations](#) is greater than some value; then [complete-connectivity](#) with respect to [referent affect relations](#) increases, or [strongness](#) with respect to [referent affect relations](#) increases.

$$77. \quad [{}_S e | {}_W \mathcal{A}] > \alpha \supset [{}_W e | {}_L \mathcal{W}_A] \wedge [{}_{HO} e | {}_L \mathcal{W}_A]$$

If system [strongness](#) with respect to [reward affect relations](#) is greater than some value; then [wholeness](#) is with respect to [Leadership Subsystem affect relations](#), and [hierarchical-order](#) is with respect to [Leadership Subsystem affect relations](#).

$$78. \quad [{}_S e | {}_L \mathcal{W}_A]^\uparrow \wedge [{}_{HO} e | {}_L \mathcal{W}_A]^\downarrow \supset [{}_S e_A]^\uparrow$$

If system [strongness](#) with respect to [Leadership Subsystem affect relations](#) increases, and [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) decreases; then [strongness](#) with respect to [referent affect relations](#) increases.

$$79. \quad {}_S e_{\mathcal{A}} > \alpha \wedge [{}_{HO} e | {}_L \mathcal{W}_{\mathcal{A}}] > \beta \quad \text{:} \Rightarrow \quad [{}_W e | {}_L \mathcal{W}_{\mathcal{A}}]$$

If system [strongness](#) with respect to [referent affect relations](#) is greater than some value, and [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value, then [wholeness](#) is with respect to [Leadership Subsystem affect relations](#).

$$80. \quad [{}_S e_{\mathcal{A}} < \alpha] \wedge [{}_C e | {}_L \mathcal{W}_{\mathcal{A}}] \quad \text{:} \Rightarrow \quad [{}_W e | {}_L \mathcal{W}_{\mathcal{A}}]$$

If system [strongness](#) with respect to [referent affect relations](#) is less than some value, and [centrality](#) is with respect to [Leadership Subsystem affect relations](#); then [wholeness](#) is with respect to [Leadership Subsystem affect relations](#).

$$81. \quad [{}_S e_{\mathcal{A}} < \alpha] \wedge [{}_{HO} e | {}_L \mathcal{W}_{\mathcal{A}}] > \beta \wedge [{}_C e | {}_L \mathcal{W}_{\mathcal{A}}] \quad \text{:} \Rightarrow \quad [{}_{CP} e | {}_L \mathcal{W}_{\mathcal{A}}]^{\uparrow}$$

If system [strongness](#) with respect to [referent affect relations](#) is less than some value, and [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value, and [centrality](#) is with respect to [Leadership Subsystem affect relations](#); then [compactness](#) with respect to [Leadership Subsystem affect relations](#) increases.

$$82. \quad {}_W e_{\mathcal{A}} \supset [{}_{CC} e_{\mathcal{A}}]^{\uparrow} \vee [{}_S e_{\mathcal{A}}]^{\uparrow}$$

If system [wholeness](#) is with respect to [referent affect relations](#); then [complete-connectivity](#) with respect to [referent affect relations](#) increases, or [strongness](#) with respect to [referent affect relations](#) increases.

$$83. \quad [{}_{HO} e | {}_L \mathcal{W}_{\mathcal{A}}] > \alpha \wedge [{}_F e | {}_L \mathcal{W}_{\mathcal{A}}] > \beta \quad \text{:} \Rightarrow \quad [{}_D e_{\mathcal{A}}]$$

If system [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value, and [flexibility](#) with respect to [Leadership Subsystem affect relations](#) is greater than some value; then [disconnectivity](#) is with respect to [referent affect relations](#).

$$84. \quad [{}_D e > \alpha | \mathcal{I} \mathcal{A}]$$

There is [disconnectivity](#) greater than some value with respect to [instructional affect relations](#).

$$85. \quad [{}_D e > \alpha | \mathcal{Q} \mathcal{A}]$$

There is [disconnectivity](#) greater than some value with respect to [inquiry affect relations](#).

$$86. \quad {}_S \mathcal{S} > \alpha \supset {}_{SR} \mathcal{S}^{\uparrow}$$

If system [state-steadiness](#) is greater than some value, then [strain](#) increases.

$$87. \quad {}_{ST} \mathcal{S}' < \alpha \supset {}_S \mathcal{S}^c$$

If system [stress](#) is less than some value, then [state-steadiness](#) is constant.

$$88. \quad {}_{ST} \mathcal{S}' > \alpha \supset {}_{SR} \mathcal{S}^{\uparrow}$$

If system [stress](#) greater than some value increases, then [strain](#) increases.

$$89. \quad ({}_S \mathcal{S}^{\uparrow} \equiv {}_{DT} \mathcal{S}^{\uparrow}) \wedge ({}_S \mathcal{S}^{\downarrow} \equiv {}_{DT} \mathcal{S}^{\downarrow})$$

89a. System [state-steadiness](#) increases if and only if [state-determinacy](#) increases.

89b. System [state-steadiness](#) decreases if and only if [state-determinacy](#) decreases.

90. $T_P^\uparrow \supset C^{\downarrow} e^{\downarrow}$
 If system [toput](#) increases, then [centrality](#) decreases.
91. $f_I^{\downarrow} \supset U^{\downarrow} e^{\downarrow}$
 If system [feedin](#) decreases, then [unilateralness](#) decreases.
92. $(f_I < n)^{\downarrow} \supset HO^{\downarrow} e^{\downarrow}$
 If system [feedin](#) less than some value decreases, then [hierarchical-order](#) decreases.
93. $f_I^{\downarrow} \supset X^{-\uparrow}$
 If system [feedin](#) decreases, then [complexity-degeneration](#) increases.
94. $f_O < \alpha \supset X^{-\uparrow}$
 If system [feedout](#) is less than some value, then [complexity-degeneration](#) increases.
95. $f_T^\uparrow \supset W^e < n$
 If system [feedthrough](#) increases, then [weakness](#) is less than some value.
96. $T_P^{\approx \min} \wedge F_P^\uparrow \supset D^{\uparrow} e^{\uparrow}$
 If system [toput](#) is close to minimum and [fromput](#) increases, then [disconnectivity](#) increases.
97. $f_I^\uparrow \wedge e^{\approx \min} \supset D^{\uparrow} e^{\uparrow}$
 If system [feedin](#) increases and [compatibility](#) is close to minimum, then [disconnectivity](#) increases.
98. $S_P^\uparrow \wedge (\mathcal{S}^{\mathcal{F}^\downarrow} \vee \mathcal{S}^{\mathcal{F}^\downarrow}) \supset IG^{\uparrow} e^{\uparrow}$
 If system [storeput](#) increases, and [filtration](#) decreases or [spillage](#) decreases; then [integration](#) increases.
99. $I_P^\uparrow \wedge S_P > \alpha \supset SG^e e^{\mathcal{A}}$
 If system [input](#) increases, and [storeput](#) is greater than some value; then [segregation](#) is with respect to [referent affect relations](#).
100. $CC^{\uparrow} e^{\uparrow} \supset f_I^{\uparrow}$
 If system [complete-connectivity](#) increases, then [feedin](#) increases.
101. $W^e > n \supset f_T < m$
 If system [weakness](#) is greater than some value, then [feedthrough](#) is less than some value.
102. $I^e \supset f_I^{\uparrow}$
 If system [interdependence](#) increases, then [feedin](#) increases.
103. $W^\uparrow \supset \mathcal{S}^{\mathcal{F}} < n$
 If system [wholeness](#) increases, then [regulation](#) is less than some value.

$$104. \quad (c_{CP}e > n)^{\uparrow} \supset_{EF} s^{\uparrow}$$

If system [compactness](#) greater than some value increases, then [efficiency](#) increases.

$$105. \quad c^{\uparrow} \supset_{TP} \downarrow$$

If system [centrality](#) increases, then [toput](#) decreases.

$$106. \quad c_{CC}e^{\uparrow} \vee s^{\uparrow} \supset_{TP} \uparrow$$

If system [complete-connectivity](#) increases or [strongness](#) increases, then [toput](#) increases.

$$107. \quad c_{CC}e^{\uparrow} \vee s^{\uparrow} \supset_{IP} \uparrow$$

If system [complete-connectivity](#) increases or [strongness](#) increases, then [input](#) increases.

$$108. \quad c_{CC}e^{\uparrow} \vee s^{\uparrow} \supset_{SF} \downarrow$$

If system [complete-connectivity](#) increases or [strongness](#) increases, then [filtration](#) decreases.

$$109. \quad c_{CC}e^{\uparrow} \vee s^{\uparrow} \supset_{SF} \uparrow$$

If system [complete-connectivity](#) increases or [strongness](#) increases, then [spillage](#) increases.

$$110. \quad c_{CC}e^{\uparrow} \vee s^{\uparrow} \supset 0 < \Delta F_{\mathcal{P}} < \Delta I_{\mathcal{P}}$$

If system [complete-connectivity](#) increases or [strongness](#) increases, then 0 is less than change in [fromput](#), and change in [fromput](#) is less than change in [input](#).

$$111. \quad F_{CC}e^{\uparrow} \vee s^{\uparrow} \supset \Delta S_{\mathcal{P}} > \Delta F_{\mathcal{P}}$$

If system [complete-connectivity](#) increases or [strongness](#) increases, then change in [storeput](#) is greater than change in [fromput](#).

$$112. \quad s^{\uparrow} \wedge_{HO} e_c \supset_{SF} \downarrow$$

If system [strongness](#) increases and [hierarchical-order](#) is constant, then [regulation](#) decreases.

$$113. \quad W^{\uparrow} \wedge_{HO} e_c \supset_{EF} s^{\downarrow}$$

If system [wholeness](#) increases and [hierarchical-order](#) is constant, then [efficiency](#) decreases.

$$114. \quad w^{\uparrow} \wedge_{HO} e_c \supset_{F} \downarrow$$

If system [weakness](#) and [hierarchical-order](#), then [flexibility](#) decreases.

$$115. \quad u^{\uparrow} \vee w^{\uparrow} \vee d^{\uparrow} \supset_{IP} \downarrow \wedge_{FP} \downarrow$$

If system [unilateralness](#), or [weakness](#) increases, or [disconnectivity](#) increases; then [input](#) decreases and [fromput](#) decreases.

$$116. \quad [_{PD}e | \wedge_{WA}]^{\uparrow} \supset_{fo} \downarrow$$

If system [passive-dependence](#) with respect to [reward affect relations](#) increases, then [feedout](#) decreases.

$$117. \quad [{}_{PD}e \mid \mathcal{W}\mathcal{A}]^{\uparrow} \supset [{}_{A}\mathcal{S} > \alpha]^{\uparrow}$$

If system [passive-dependence](#) with respect to [reward affect relations](#) increases, then [adaptability](#) greater than some value increases.

$$118. \quad [{}_{I}\mathcal{S} \mid \mathcal{L}\mathcal{W}\mathcal{A}]^{\uparrow} \supset F\mathcal{P}^{\uparrow}$$

If system [independence](#) with respect to [Leadership Subsystem affect relations](#) increases, then [fromput](#) increases.

$$119. \quad [{}_{I}\mathcal{S} \mid \mathcal{L}\mathcal{W}\mathcal{A}]^{\uparrow} \supset O\mathcal{P} < \alpha$$

If system [independence](#) with respect to [Leadership Subsystem affect relations](#) increases, then [output](#) is less than some value.

$$120. \quad [{}_{I}\mathcal{S} \mid \mathcal{L}\mathcal{W}\mathcal{A}]^{\uparrow} \supset fo^{\downarrow}$$

If system [independence](#) with respect to [Leadership Subsystem affect relations](#) increases, then [feedout](#) decreases.

$$121. \quad \mathcal{W}e_{\mathcal{A}} > \alpha \supset |F\mathcal{P}^{\max} - F\mathcal{P}| > \beta$$

If system [wholeness](#) with respect to [referent affect relations](#) is greater than some value, then the absolute value of the difference of [fromput](#) from maximum [fromput](#) is greater than some value.

$$122. \quad \mathcal{W}e_{\mathcal{A}} > \alpha \supset o\mathcal{S}^{\approx \min}$$

If system [wholeness](#) with respect to [referent affect relations](#) is greater than some value, then [openness](#) approaches minimum.

$$123. \quad [{}_{HO}e \mid \mathcal{L}\mathcal{W}\mathcal{A}]^{\uparrow} \supset \mathcal{S}\mathcal{F}^{\uparrow}$$

If system [hierarchical-order](#) with respect to [Leadership Subsystem affect relations](#) increases, then [filtration](#) increases.

$$124. \quad [\mathcal{X} \mid \mathcal{F}\mathcal{A}] > \alpha \supset \mathcal{S}\mathcal{F} > \beta$$

If system [complexity](#) with respect to [facilitating affect relations](#) is greater than some value, then [regulation](#) is greater than some value.

$$125. \quad [\mathcal{X} \mid \mathcal{F}\mathcal{A}] > \alpha \supset [f_T \mid \mathcal{F}\mathcal{A}] < \beta$$

If system [complexity](#) with respect to [facilitating affect relations](#) is greater than some value, then [feedthrough](#) with respect to [facilitating affect relations](#) is less than some value.

$$126. \quad [{}_{PD}e \mid \mathcal{Q}\mathcal{A}]^{\uparrow} \supset fo^{\uparrow} \wedge \mathcal{S}\mathcal{F}^{\uparrow} \wedge H^{\max} > \alpha$$

If system [passive-dependence](#) with respect to [inquiry affect relations](#) and [legitimate affect relations](#) increases, then [feedout](#) increases and [spillage](#) increases and maximum [selective information](#) is greater than some value.

$$127. \quad [{}_{PD}e \mid \mathcal{Q}e\mathcal{A}]^{\uparrow} \supset fo^{\downarrow} \wedge (\mathcal{S}\mathcal{F} > \alpha)^{\uparrow} \wedge H^{\max} < \alpha$$

If system [passive-dependence](#) with respect to [inquiry affect relations](#) and [expert affect relations](#) increases, then [feedout](#) decreases and [spillage](#) greater than some value increases and maximum [selective information](#) is less than some value.

$$128. \quad [_{AD}e | \mathcal{JL}\mathcal{A}] > \alpha \supset \mathcal{S}\mathcal{F} < \beta$$

If system [active-dependence](#) with respect to [facilitating affect relations](#) and [legitimate affect relations](#) is greater than some value, then [regulation](#) is less than some value.

$$129. \quad [_{W}e | \mathcal{QR}\mathcal{A}]^{\uparrow} \supset (H^{\max}/I_{\mathcal{P}})^{\uparrow}$$

If system [wholeness](#) with respect to [inquiry affect relations](#) and [referent affect relations](#) increases, then the ratio of maximum [selective information](#) to [input](#) increases.

$$130. \quad [_{D}e | \mathcal{JR}\mathcal{A}] > \alpha \wedge [_{CC}e | \mathcal{JR}\mathcal{A}]^{\uparrow} \wedge [_{W}e | \mathcal{JR}\mathcal{A}]^{\uparrow} \supset I_{\mathcal{P}}^{\uparrow} \wedge F_{\mathcal{P}}^{\uparrow} \wedge \mathcal{f}o^{\downarrow} \wedge \mathcal{S}\mathcal{F}^{\uparrow}$$

If system [disconnectivity](#) with respect to [instructional affect relations](#) and [referent affect relations](#) is greater than some value, and [complete-connectivity](#) with respect to [instructional affect relations](#) and [referent affect relations](#) increases, and [wholeness](#) with respect to [instructional affect relations](#) and [referent affect relations](#) increases; then [input](#) increases, [fromput](#) increases, [feedout](#) decreases, and [regulation](#) increases.

$$131. \quad [_{D}e | \mathcal{JE}\mathcal{A}] > \alpha \wedge [_{CC}e | \mathcal{JE}\mathcal{A}]^{\uparrow} \wedge [_{W}e | \mathcal{JE}\mathcal{A}]^{\uparrow} \supset I_{\mathcal{P}}^{\uparrow} S_{\mathcal{P}}^{\uparrow} \wedge \mathcal{f}o^{\uparrow} \wedge \mathcal{S}\mathcal{F}^{\uparrow}$$

If system [disconnectivity](#) is with respect to [instructional affect relations](#) and [expert affect relations](#) is greater than some value, [complete-connectivity](#) is with respect to [instructional affect relations](#) and [expert affect relations](#) increases, and [wholeness](#) with respect to [instructional affect relations](#) and [expert affect relations](#) increases; then [input](#) increases, [storeput](#) increases, [feedout](#) increases, and [filtration](#) increases.

$$132. \quad [_{D}e | \mathcal{JR}\mathcal{A}] > \alpha \wedge [_{PD}e | \mathcal{JR}\mathcal{A}]^{\uparrow} \wedge [_{W}e | \mathcal{JR}\mathcal{A}]^{\uparrow} \supset I_{\mathcal{P}}^{\downarrow} \wedge F_{\mathcal{P}}^{\downarrow} \wedge \mathcal{f}o^{\downarrow} \wedge \mathcal{S}\mathcal{F}^{\downarrow}$$

If system [disconnectivity](#) with respect to [instructional affect relations](#) and [referent affect relations](#) is greater than some value, [passive-dependence](#) with respect to [instructional affect relations](#) and [referent affect relations](#) increases, and [wholeness](#) with respect to [instructional affect relations](#), and [referent affect relations](#) increases; then [input](#) decreases, [fromput](#) decreases, [feedout](#) decreases, and [regulation](#) decreases.

$$133. \quad [_{D}e | \mathcal{JW}\mathcal{A}] > \alpha \wedge [_{PD}e | \mathcal{JW}\mathcal{A}]^{\uparrow} \wedge [_{W}e | \mathcal{JW}\mathcal{A}]^{\uparrow} \supset \Delta\mathcal{S}' > \beta \supset \mathcal{A}\mathcal{S}' > \gamma \wedge I_{\mathcal{P}} < \phi \wedge S_{\mathcal{P}} < \gamma \wedge \mathcal{S}\mathcal{F} > \eta$$

If system [disconnectivity](#) with respect to [instructional affect relations](#) and [reward affect relations](#) is greater than some value, [passive-dependence](#) with respect to [instructional affect relations](#) and [reward affect relations](#) increases, and [wholeness](#) with respect to [instructional affect relations](#) and [reward affect relations](#) increases; then if [system environmental change](#) is greater than some value, then [adaptability](#) is greater than some value, [input](#) is less than some value, [storeput](#) is less than some value, and [filtration](#) is greater than some value.

$$134. \quad [_{D}e | \mathcal{JL}\mathcal{A}] > \alpha \wedge [_{PD}e | \mathcal{JL}\mathcal{A}]^{\uparrow} \wedge [_{W}e | \mathcal{JL}\mathcal{A}]^{\uparrow} \supset \mathcal{f}o^{\uparrow} \wedge \mathcal{S}\mathcal{F} > \beta \wedge \mathcal{S}\mathcal{F} > \gamma$$

If system [disconnectivity](#) with respect to [instructional affect relations](#) and [legitimate affect relations](#) is greater than some value, [passive-dependence](#) with respect to [instructional affect relations](#) and [legitimate affect relations](#) increases, and [wholeness](#) with respect to [instructional affect relations](#) and [legitimate affect relations](#) increases; then [feedout](#) increases, [spillage](#) is greater than some value, and [regulation](#) is greater than some value.

$$135. \quad [_{D}e |_{\mathcal{J}\mathcal{P}\mathcal{A}} > \alpha \wedge [_{PD}e |_{\mathcal{J}\mathcal{P}\mathcal{A}}]^{\uparrow} \wedge [_{W}e |_{\mathcal{J}\mathcal{P}\mathcal{A}}]^{\uparrow} \wedge [_{HO}e |_{\mathcal{J}\mathcal{P}\mathcal{A}}]^{\uparrow} \text{ :} \supset \Delta \delta' > \beta \supset \delta < \gamma \\ \wedge F_{\mathcal{P}}^{\downarrow} \wedge f_{\mathcal{O}}^{\downarrow} \wedge s_{\mathcal{F}}^{\downarrow} \wedge s_{\mathcal{B}}^{\uparrow} \wedge e_{\mathcal{Q}}^{\uparrow}$$

If system [disconnectivity](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) is greater than some value, [passive-dependence](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) increases, [wholeness](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) increases, and [hierarchical-order](#) with respect to [instructional affect relations](#) and [punishment affect relations](#) increases; then if [system environmental change](#) is greater than some value, then [adaptability](#) is less than some value, [fromput](#) decreases, [feedout](#) decreases, [regulation](#) decreases, [stability](#) increases, and [equifinality](#) increases.

$$136. \quad [_{AD}e^{\max} |_{\mathcal{D}\mathcal{L}\mathcal{A}} \supset F_{\mathcal{P}} < \alpha \wedge s_{\mathcal{F}}^{\uparrow} \wedge s_{\mathcal{F}}^{\uparrow} \wedge s_{\mathcal{F}}^{\downarrow} < \beta \wedge [_{AD}e |_{\mathcal{Q}\mathcal{A}}]^{\downarrow} \wedge [_{AD}e |_{\mathcal{Q}\mathcal{A}}]^{\uparrow}$$

If system maximum [active dependence](#) with respect to [development inquiry affect relations](#) and [legitimate affect relations](#); then [fromput](#) is less than some value, [filtration](#) increases, [spillage](#) increases, [regulation](#) is less than some value, [active-dependence](#) with respect to [inquiry affect relations](#) decreases, and [active-dependence](#) with respect to [instructional affect relations](#) increases.

$$137. \quad f_{\mathcal{O}} > n \wedge e < m \supset s_{\mathcal{G}}e < p$$

If system [feedout](#) is greater than some value and [compatibility](#) is less than some value, then [segregation](#) is less than some value.

$$138. \quad T_{\mathcal{P}}^{\uparrow} \wedge (c_{\mathcal{P}}e > n)^{\uparrow} \supset s_{\mathcal{F}}^{\uparrow}$$

If system [toput](#) increases and [compactness](#) greater than some value increases, then [regulation](#) increases.

$$139. \quad T_{\mathcal{P}}^{\uparrow} \wedge ((c_{\mathcal{P}}e > n)^{\downarrow} \vee (c_{\mathcal{P}}e > n)_c) \supset e_{\mathcal{F}}s^{\downarrow}$$

If system [toput](#) increases and [compactness](#) greater than some value decreases, then [efficiency](#) decreases.

$$140. \quad (F_{\mathcal{P}c} \vee F_{\mathcal{P}}^{\downarrow}) \wedge c_{\mathcal{C}}e^{\uparrow} \wedge s^{\uparrow} \supset f_{\mathcal{T}}^{\downarrow}$$

If system [fromput](#) is constant or decreases, [complete-connectivity](#) increases, and [strongness](#) increases; then [feedthrough](#) decreases.

$$141. \quad T_{\mathcal{P}}^{\uparrow} \wedge [_{I}\delta |_{L}\mathcal{W}\mathcal{A}]^{\uparrow} \supset f_{\mathcal{O}}^{\uparrow}$$

If system [toput](#) increases, and [independence](#) with respect to [Leadership Subsystem affect relations](#) increases; then [feedout](#) increases.

$$142. \quad f_{\mathcal{B}} > \alpha \wedge [_{PD}e |_{\mathcal{P}\mathcal{A}}] \wedge a_{\mathcal{D}}e > \beta \supset e_{\mathcal{F}}s > \gamma$$

If system [feedback](#) is greater than some value, [passive-dependence](#) is with respect to [punishment affect relations](#), and [active-dependence](#) is greater than some value; then [efficiency](#) is greater than some value.

$$143. \quad f_{\mathcal{I}}^c \supset h_{\mathcal{H}}\delta < \alpha$$

If system [feedin](#) is constant, then [homeostasis](#) is less than some value.

144. $\mathcal{S}^{\downarrow} \supset \mathcal{I}^{\uparrow}$

If system [filtration](#) decreases, then [isomorphism](#) increases.

145. $\mathcal{S}^{\downarrow} > \alpha \supset \mathcal{S}^{\downarrow} > \beta$

If system [filtration](#) is greater than some value, then [stability](#) is greater than some value.

146. $\mathcal{A}^{\downarrow} > \alpha \supset \mathcal{S}^{\downarrow}$

If system [adaptability](#) is greater than some value, then [stability](#) decreases.

147. $\mathcal{T}^{\uparrow} \wedge \mathcal{F}^{\downarrow} \approx \min \supset \mathcal{S}^{\uparrow}$

If system [toput](#) increases and [feedout](#) approaches minimum, then [stress](#) increases.

148. $(\Delta \mathcal{S} > \alpha) \wedge (\mathcal{F}_T \leq \beta) \wedge (\mathcal{F}_B > \gamma) \supset (\mathcal{S} < \gamma)$

If [system environmental change](#) is greater than some value, [feedthrough](#) is constant or less than some value, and [feedback](#) is greater than some value, then [stability](#) is less than some value.

149. $[\mathcal{S}^{\downarrow} | \mathcal{J}^{\uparrow}] \supset [\mathcal{I}^{\uparrow} | \mathcal{J}^{\uparrow}]$

If system [filtration](#) with respect to [instructional affect relations](#) increases, then [isomorphism](#) with respect to [instructional affect relations](#) increases.

150. $\mathcal{A}^{\uparrow} \supset \mathcal{I}^{\uparrow} \wedge \mathcal{S}^{\uparrow} \wedge \mathcal{F}^{\downarrow} \wedge \mathcal{F}^{\downarrow} \wedge \mathcal{S}^{\downarrow} \wedge \mathcal{S}^{\downarrow} \wedge \mathcal{E}^{\downarrow}$

If system [automorphism](#) increases; then [input](#) increases, [storeput](#) increases, [fromput](#) decreases, [feedout](#) decreases, [filtration](#) decreases, [spillage](#) decreases, and [efficiency](#) decreases.

151. $\mathcal{I}^{\uparrow} \supset \mathcal{F}^{\downarrow} \wedge \mathcal{F}^{\downarrow}$

If system [isomorphism](#) increases; then [fromput](#) decreases, and [feedout](#) decreases.

152. $\mathcal{S}^{\downarrow} > \alpha \supset \mathcal{A}^{\downarrow} < \beta$

If system [state-steadiness](#) is greater than some value, then [adaptability](#) is less than some value.

153. $\mathcal{D}^{\uparrow} \supset \mathcal{S}^{\downarrow}$

If system [state-determinacy](#) increases, then [regulation](#) decreases.

154. $\mathcal{D}^{\uparrow} \supset \mathcal{H}^{\downarrow}$

If system [state-determinacy](#) increases, then [selective information](#) decreases.

155. $\mathcal{E}^{\downarrow} > \alpha \supset \mathcal{S}^{\downarrow} < \beta$

If system [equifinality](#) is greater than some value, then [regulation](#) is less than some value.

156. $\mathcal{E}_t^{\downarrow} \wedge \mathcal{H}^{\downarrow} > \alpha \supset \mathcal{S}^{\downarrow} < \beta$

If system [equifinality](#) is at a given time, and [homeostasis](#) is greater than some value; then [regulation](#) is less than some value.

$$157. [\mathcal{L} | \mathcal{J}\text{-}\mathcal{A}]^{\uparrow} \supset \mathbb{F}\mathcal{P}^{\downarrow} \wedge \mathbb{f}\mathcal{O}^{\downarrow}$$

If system [isomorphism](#) with respect to [instructional affect relations](#) increases; then [fromput](#) decreases, and [feedout](#) decreases.

$$158. \mathbb{T}\mathcal{P}^{\uparrow} \wedge \mathbb{Z}_c \supset \mathbb{f}\mathcal{B}^{\uparrow}$$

If system [toput](#) increases, and [size](#) is constant; then [feedback](#) increases.

$$159. [\Delta\mathcal{S}' > \alpha] \wedge [\mathcal{C} > \beta] \wedge [\mathbb{S}\mathcal{B}\mathcal{S} > \gamma] \supset [\mathbb{S}\mathcal{P} > \zeta] \vee [\mathbb{S}\mathcal{F} > \eta] \vee [\mathbb{S}\mathcal{F} > \theta]$$

If [system environmental change](#) is greater than some value, [compatibility](#) is greater than some value, and [stability](#) is greater than some value; then [storeput](#) is greater than some value, or [filtration](#) is greater than some value, or [spillage](#) is greater than some value.

$$160. \mathbb{T}\mathcal{P}^{\uparrow} \wedge \mathbb{F}\mathcal{P}^{\uparrow} \wedge \mathbb{Z}_c \supset \mathbb{f}\mathcal{O}^{\uparrow}$$

If system [toput](#) increases, [fromput](#) increases, and [size](#) is constant; then [feedout](#) increases.

$$161. \mathbb{O}\mathcal{P}_c \wedge \mathbb{A}^{\downarrow} \wedge \mathbb{M} > \mathbb{n} \supset \mathbb{f}\mathcal{O}^{\downarrow}$$

If system [output](#) is constant, [automorphism](#) decreases, and [homomorphism](#) is greater than some value; then [feedout](#) decreases.

$$162. \mathbb{T}\mathcal{P} < \alpha \wedge \mathbb{f}\mathcal{I}^{\uparrow} \wedge \mathbb{S}\mathcal{B}\mathcal{S} < \beta \supset \mathbb{S}\mathcal{B}\mathcal{S}^{\uparrow}$$

If system [toput](#) is less than some value, [feedin](#) increases, and [stability](#) is less than some value; then [stability](#) increases.

$$163. \mathbb{T}\mathcal{P} > \alpha \wedge \mathbb{f}\mathcal{I}^{\downarrow} \wedge \mathbb{S}\mathcal{B}\mathcal{S} < \beta \supset \mathbb{S}\mathcal{B}\mathcal{S}^{\uparrow}$$

If system [toput](#) is greater than some value, [feedin](#) decreases, and [stability](#) is less than some value; then [stability](#) increases.

$$164. \mathbb{I}\mathcal{E}^{\uparrow} \supset \mathbb{S}\mathcal{B}\mathcal{S} < \mathbb{n}$$

If system [independence](#) increases, then [stability](#) is less than some value.

$$165. \mathbb{F}\mathcal{E}^{\downarrow} \supset \mathbb{D}\mathcal{S}^{\uparrow}$$

If system [flexibility](#) decreases, then [state-determinacy](#) increases.

$$166. \mathbb{C}\mathcal{E}^{\uparrow} \supset \mathbb{S}\mathcal{S}^{\uparrow}$$

If system [centrality](#) increases, then [state-steadiness](#) increases.

$$167. (\mathcal{X}^+ > \mathbb{n})^{\uparrow} \supset \mathbb{Z}^{\uparrow}$$

If system [complexity](#) greater than some value increases, then [size](#) increases.

$$168. \mathbb{I}\mathcal{E}^{\uparrow} \wedge \mathbb{W}^{\uparrow} \supset \mathbb{S}\mathcal{S} > \mathbb{n}$$

If system [independence](#) increases, and [wholeness](#) increases; then [state-steadiness](#) is greater than some value.

$$169. \quad \mathcal{W} > n \wedge \mathcal{C}e > m \supset \mathcal{D}S > p$$

If system [wholeness](#) is greater than some value, and [centrality](#) is greater than some value; then [state-determinacy](#) is greater than some value.

$$170. \quad [\mathcal{C}e | \mathcal{J}\mathcal{A}]^{\uparrow} \supset [\mathcal{I} | \mathcal{J}\mathcal{A}]^{\uparrow}$$

If system [centrality](#) with respect to [instructional affect relations](#) increases, then [isomorphism](#) with respect to [instructional affect relations](#) increases.

$$171. \quad [\mathcal{D}e | \mathcal{J}\mathcal{A}] > \alpha \wedge [\mathcal{W}e | \mathcal{J}\mathcal{A}] < \beta \supset [\mathcal{D}\mathcal{T}\mathcal{S} | \mathcal{J}\mathcal{A}] < \gamma$$

If system [disconnectivity](#) with respect to [facilitating affect relations](#) is greater than some value, and [wholeness](#) with respect to [facilitating affect relations](#) is less than some value; then [state-determinacy](#) with respect to [facilitating affect relations](#) is less than some value.

$$172. \quad \mathcal{A}^{\uparrow} \supset \mathcal{W}^{\downarrow}$$

If system [automorphism](#) increases, then [wholeness](#) decreases.

$$173. \quad \mathcal{A}^{\uparrow} \supset \mathcal{C}e^{\downarrow}$$

If system [automorphism](#) increases, then [centrality](#) decreases.

$$174. \quad \Delta\mathcal{Z} > \Delta_{\text{HO}}e$$

Change in system [size](#) is greater than change in [hierarchical-order](#).

$$175. \quad \mathcal{X}^{-\uparrow} \supset \mathcal{Z}^{-\uparrow} \vee \mathcal{D}e^{\uparrow}$$

If system [complexity-degeneration](#) increases; then [size-degeneration](#) increases, or [disconnectivity](#) increases.

$$176. \quad \mathcal{S}S < n \supset \mathcal{S}G e < m \wedge \mathcal{I}G e < p \wedge \mathcal{H}S < r$$

If system [state-steadiness](#) is less than some value; then [segregation](#) is less than some value, [integration](#) is less than some value, and [homeostasis](#) is less than some value.

$$177. \quad \mathcal{W}e^{\text{max}} \wedge \mathcal{Z}^{\uparrow} \supset \mathcal{P}D e^{\uparrow} \vee \mathcal{A}D e^{\uparrow}$$

If system [weakness](#) is maximum and [size](#) increases; then [passive-dependence](#) increases, or [active-dependence](#) increases.

$$178. \quad \mathcal{H}O e(t_1) > n \wedge \mathcal{Z}(t_1) > m \supset \mathcal{I}e(t_2)^{\uparrow}$$

If system [hierarchical-order](#) at a given time is greater than some value, and [size](#) at the given time is greater than some value; then [independence](#) at a later time increases.

$$179. \quad \mathcal{Z}^{\uparrow} \wedge \mathcal{X}^+_c \supset \mathcal{V}e^{\uparrow}$$

If system [size](#) increases, and [complexity-growth](#) is constant; then [vulnerability](#) increases.

$$180. \quad \mathcal{Z}^{\uparrow} \wedge \mathcal{X}^+_c \supset \mathcal{F}e^{\downarrow}$$

If system [size](#) increases, and [complexity-growth](#) is constant; then [flexibility](#) decreases.

181. $Z^{\uparrow} \wedge X^+_c \supset C^{\downarrow}$

If system [size](#) increases, and [complexity-growth](#) is constant; then [centrality](#) decreases.

182. $Z_c \wedge X^{-\uparrow} \supset D^{\uparrow}$

If system [size](#) is constant, and [complexity-degeneration](#) increases; then [disconnectivity](#) increases.

183. $Z^{\downarrow} \wedge X^{-\uparrow} \supset D^{\downarrow}$ **Not Valid.**

If system [size](#) decreases, and [complexity-degeneration](#) increases; then [disconnectivity](#) decreases.

184. $X^{\uparrow} \wedge Z^+_c \supset CP^{\downarrow}$

If system [complexity](#) increases, and [size-growth](#) is constant; then [compactness](#) decreases.

185. $X^{\uparrow} \wedge Z^+_c \supset C^{\uparrow}$

If system [complexity](#) increases, and [size-growth](#) is constant; then [centrality](#) increases.

186. $X^{\uparrow} \wedge_{ST} S' > n \supset_{SB} S^{\downarrow}$

If system [centrality](#) increases, and [stress](#) is greater than some value; then [stability](#) decreases.

187. $_{ST} S' = 0 \wedge C^{\uparrow} \supset_{SB} S^{\uparrow}$

If system [stress](#) is equal to 0, and [centrality](#) increases; then [stability](#) increases.

188. $Z^{\uparrow} \wedge X^+_c \supset D^{\uparrow}$

If system [size](#) increases and [complexity-growth](#) is constant; then [state-determinacy](#) increases.

189. $[_{AD} E^{\max} | _{SL} \mathcal{A}] \supset I^{\uparrow} \wedge F^{\uparrow} \wedge S^{\uparrow} \wedge_{\mathcal{S}} \mathcal{S}^{\uparrow} \wedge [_{\mathcal{Z}} | \mathcal{J} \mathcal{A}]^{\uparrow}$

If system maximum [active-dependence](#) is with respect to [research inquiry affect relations](#) and [legitimate affect relations](#); then [input](#) increases, [fromput](#) increases, [storeput](#) increases, [filtration](#) increases, and [automorphism](#) with respect to [instructional affect relations](#) increases.

190. $\underline{\mathcal{M}}(t_2) > \underline{\mathcal{M}}(t_1) \text{ :}\supset\text{ : } T^{\approx \max} \wedge Z^{-\approx \max} \wedge X^{-\approx \max}$

If system [homomorphism](#) at time 2 is greater than [homomorphism](#) at time 1; then [toput](#) approaches maximum, [size-degeneration](#) approaches maximum, and [complexity-degeneration](#) approaches maximum.

191. $_{EF} S > n \wedge_{CP} E > m \supset_{D} S > p$

If system [efficiency](#) is greater than some value, and [compactness](#) is greater than some value; then [state-determinacy](#) is greater than some value.

192. $Z^{\downarrow} \wedge H^+_c \supset X^{\uparrow}$

If system [size-growth](#) decreases, and [selective information-growth](#) is constant; then [complexity-growth](#) increases.

193. $Z^{\downarrow} \wedge H^+_c \supset X^{-\uparrow}$

If system [size-degeneration](#) decreases, and [selective information-growth](#) is constant; then [complexity-degeneration](#) increases.

194. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \mathcal{T}^\uparrow$

If system [size](#) increases, and [complexity-growth](#) is constant; then [toput](#) increases.

195. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \mathcal{f}_I^\downarrow$

If system [size](#) increases, and [complexity-growth](#) is constant; then [feedin](#) decreases.

196. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \mathcal{f}_O^\uparrow \wedge \Delta \mathcal{f}_O^\downarrow$

If system [size](#) increases, and [complexity-growth](#) is constant; then [feedout](#) increases, and change in [feedout](#) decreases.

197. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \mathcal{f}_T^\uparrow$

If system [size](#) increases, and [complexity-growth](#) is constant; then [feedthrough](#) increases.

198. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \mathcal{f}_B^\downarrow$

If system [size](#) increases, and [complexity-growth](#) is constant; then [feedback](#) decreases.

199. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \varphi(\mathcal{R}^\uparrow)^{\max} = n_{t(1)} \wedge \varphi(\mathcal{S}^\downarrow)^{\min} = m_{t(2)} \wedge m < n;$

where φ is a measure of \mathcal{S}^\downarrow .

If system [size](#) increases, and [complexity-growth](#) is constant; then [regulation](#) increases to some value and then decreases.

200. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \mathcal{E}^\downarrow$

If system [size](#) increases, and [complexity-growth](#) is constant; then [compatibility](#) decreases.

201. $\mathcal{Z}^\uparrow \wedge \mathcal{X}^+_c \supset \phi(\mathcal{S}^\uparrow)_{EF}^{\max} = n_{t(1)} \wedge \phi(\mathcal{S}^\downarrow)_{EF}^{\min} = m_{t(2)} \wedge m < n;$

where ϕ is a measure of \mathcal{S}^\uparrow .

If system [size](#) increases, and [complexity-growth](#) is constant; then [efficiency](#) increases to some value and then decreases.